Search for Supersymmetry with Gauge-Mediated Breaking in Diphoton Events with Missing Transverse Energy at CDF II

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We present the results of a search for supersymmetry with gauge-mediated breaking and $\widetilde{\chi}_1^0 \to \gamma \widetilde{G}$ in the $\gamma\gamma+$ missing transverse energy final state. In 2.6 ± 0.2 fb⁻¹ of $p\bar{p}$ collisions at $\sqrt{s}=1.96$ TeV recorded by the CDF II detector we observe no candidate events, consistent with a standard model background expectation of 1.4 ± 0.4 events. We set limits on the cross section at the 95% C.L. and place the world's best limit of 149 GeV/c² on the $\widetilde{\chi}_1^0$ mass at $\tau_{\widetilde{\chi}_1^0} \ll 1$ ns. We also exclude regions in the $\widetilde{\chi}_1^0$ mass-lifetime plane for $\tau_{\widetilde{\chi}_1^0} \lesssim 2$ ns.

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The standard model (SM) of elementary particles has 48 been enormously successful, but is incomplete. The- 49 oretical motivations [1] and the observation of the 50 $(ee\gamma\gamma + missing transverse energy (\cancel{E}_{T})'$ [2, 3] candidate 51 event by the CDF experiment during Run I at the Fermilab Tevatron provide compelling rationale to search 53 for the production and decay of new heavy particles that 54 produce events with final state photons and E_T in collider 55 experiments. Of particular theoretical interest are super- $_{56}$ symmetry (SUSY) models with gauge-mediated SUSY- $_{57}$ breaking (GMSB) [1]. These models solve the "natu- $_{58}$ ralness problem" [4] and provide a low-mass dark mat-59 ter candidate that is both consistent with inflation and astronomical observations [5]. Since many versions of these models have a similar phenomenology, we consider a scenario in which the lightest neutralino $(\tilde{\chi}_1^0)$ decays almost exclusively (>96%) into a photon (γ) and a weakly 63 interacting, stable gravitino (G). The G gives rise to $E_{\rm T}$ by leaving the detector without depositing any energy [6]. In these models, the $\tilde{\chi}_1^0$ is favored to have a 66 lifetime on the order of a nanosecond, and the G is a warm dark matter candidate with a mass in the range $0.5 < m_{\tilde{G}} < 1.5 \text{ keV}/c^2$ [7]. Other direct searches [8–10] have constrained the mass of the $\tilde{\chi}_1^0$ to be greater than 100 GeV/c^2 for various points in parameter space. At the Tevatron sparticle production is predicted to result primarily into gaugino pairs, and the $\tilde{\chi}_1^0$ mass $(m_{\tilde{\chi}_1^0})$ and lifetime $(\tau_{\tilde{\chi}_1^0})$ are the two most important parameters in determining the final states and their kinematics [1]. Different search strategies are required for $\tilde{\chi}_1^0$ lifetimes above ⁷⁶ and below about a nanosecond [11].

This Letter describes a search for GMSB in which 79 gaugino pairs are produced and decay to the $\gamma\gamma+\cancel{E}_{T}+X$ 80 final state, where X denotes other high- E_{T} final state 81 particles [12]. We use a dataset corresponding to an in-82 tegrated luminosity of 2.6 ± 0.2 fb⁻¹ of $p\bar{p}$ collisions col-83 lected with the CDF II detector [13] at \sqrt{s} =1.96 TeV. 84 This dataset is ten times larger than the one used in our 85 previous search [8]. For the first time in this channel we 86 use a new photon timing system [14] and a new model 87 of the \cancel{E}_{T} resolution (METMODEL) [15]. These additions 88 significantly improve our rejection of backgrounds from 89 instrumental and non-collision sources, which allows us 90

to considerably enhance the sensitivity of the search for large $\tilde{\chi}_1^0$ masses compared to other Tevatron searches [9]. We also extend the search by addressing $\tilde{\chi}_1^0$ lifetimes up to 2 ns, which are favored for larger $m_{\tilde{\chi}_1^0}$.

Our strategy is to select $\gamma\gamma$ candidates and optimize the search for the presence of both significant E_T and large total event transverse energy (H_T) which would indicate the decays of heavy gauginos. We perform an a priori analysis based on the expected sensitivity, taking into account signal predictions and backgrounds from SM with mismeasured ("fake") E_T , electroweak production with real E_T , and non-collision sources.

Here we briefly describe the aspects of the detector [13] relevant to this analysis. The magnetic spectrometer consists of tracking devices inside a 3-m diameter, 5-m long superconducting solenoid magnet that operates at 1.4 T. A 3.1-m long drift chamber (COT) with 96 layers of sense wires measures the z position, time of the $p\bar{p}$ interaction, and the momenta of charged particles. The calorimeter consists of projective towers with electromagnetic (EM) and hadronic (HAD) compartments and is divided into a central part that surrounds the solenoid coil ($|\eta|$ <1.1) [2] and a pair of end-plugs that cover the region $1.1 < |\eta| < 3.6$. The calorimeters are used to identify and measure the 4-momenta of photons, electrons, and jets (j) [16] and to provide E_{T} information. The EM calorimeter is instrumented with a timing system (EMTiming) [14] that measures the arrival time of photons.

Our analysis begins with diphoton events passing the CDF three-level trigger. The combined trigger selection efficiency is effectively 100% if both photons have $|\eta|<1.1$ and $E_{\rm T}>13$ GeV [12, 15]. Offline, both photons are required to be in the fiducial part of the calorimeter and to pass the standard CDF photon identification and isolation requirements [8], with two minor modifications to remove instrumental and electron backgrounds [15, 17]. The remaining events are dominated by SM production of $\gamma\gamma$, γj with $j\rightarrow\gamma_{fake}$, and $jj\rightarrow\gamma_{fake}\gamma_{fake}$, where γ_{fake} is any object misidentified as a photon. To minimize the number of these events with large $E_{\rm T}$ due to calorimeter energy mismeasurements, we remove events where the azimuthal angle between the $E_{\rm T}$ and the second-highest $E_{\rm T}$ photon is $|\Delta\phi|<0.3$ or if any jet points to an unin-

strumented region of the calorimeter [15]. We require a 56 primary collision vertex position with $|z_{\rm vertex}| < 60$ cm in 57 order to reduce non-collision backgrounds and to main- 58 tain the projective nature of the photon reconstruction in 59 the calorimeter. For events with multiple reconstructed 60 vertices we recalculate the $E_{\rm T}$ of both photons and $E_{\rm T}$ 61 values if picking a different vertex for them reduces the 62 event $E_{\rm T}$.

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Non-collision backgrounds coming from cosmic rays 64 and beam-related effects can produce $\gamma\gamma+\cancel{E}_{\rm T}$ candidates, 65 and are removed from the inclusive $\gamma\gamma$ sample using a 66 number of techniques. Photon candidates from cosmic 67 rays are not correlated in time with collisions. There-68 fore, events are removed if the timing of either photon, 69 corrected for average path length (t_{γ}) , indicates a non-70 collision source [15, 17]. Photon candidates can also 71 be produced by beam-related muons that originate up-72 stream of the detector (from the more intense p beam). 73 These are suppressed using standard beam halo identifi-74 cation requirements [17]. A total of 38,053 inclusive $\gamma\gamma$ 75 candidate events pass all the selection requirements.

Backgrounds to the $\gamma\gamma+E_T$ final state from SM $\gamma\gamma/^{77}$ $\gamma \gamma_{fake}/\gamma_{fake} \gamma_{fake}$ and fake E_T arise due to energy mis-78 measurements in the calorimeter or to event reconstruc-79 tion pathologies. We use the METMODEL to select events 80 with real and significant E_T , as part of the optimization, 81 and to predict the contribution of SM backgrounds with 82 fake E_T due to normal energy measurement fluctuations. 83 This algorithm considers the clustered (jets) and unclus- 84 tered energy in the event and calculates the probability 85 for fluctuations in the energy measurement to produce 86 E_T^{fluct} equivalent to or larger than the measured E_T , 87 $P_{E_T^{fluct} \geq E_T}$. This probability is then used to define a E_{T} - 88 significance as $-\log_{10}\left(P_{E_{T}^{fluct} \geq E_{T}}\right)$. Events with true $_{90}^{89}$ and fake E_{T} of the same value have, on average, different $_{91}$ E_{T} -significance. We use pseudo-experiments to estimate 92 the expected E_T-significance distribution for SM events 93 with fake $E_{\rm T}$, and the number of mismeasured events ₉₄ above a given E_T -significance requirement. The jets and 95 unclustered energy are smeared according to their resolu- 96 tion functions in the event. The systematic uncertainty 97 in the METMODEL is dominated by the uncertainty in the 98 resolution functions [15].

The METMODEL does not account for reconstruction pathologies in SM events without intrinsic E_T , such as 101 a wrong choice of the primary interaction vertex or tri-102 photon events with a lost photon. To obtain the predic-103 tion for this background we model SM kinematics and 104 event reconstruction using a $\gamma\gamma$ sample generated with a 105 PYTHIA Monte Carlo (MC) [18] that incorporates a de-106 tector simulation [19]. Since the pathologies from γj and 107 jj sources are similar in nature, but not included directly 108 in the simulation, we normalize the sample to the number 109 of events in the inclusive $\gamma\gamma$ data sample. We subtract 110 the expectations for energy mismeasurement fluctuations 111

in the MC to avoid double counting. Uncertainties are dominated by the statistics of the MC sample.

Electroweak production of W and Z bosons which decay to leptons can also produce the $\gamma\gamma + E_T$ signature where one or more of the photons can be fake, but the $E_{\rm T}$ is due to one or more neutrinos. To estimate the contribution from these backgrounds we use MC simulations normalized to their theoretical cross sections, taking into account all the leptonic decay modes. The Baur MC [20] is used to simulate $W\gamma$ and $Z\gamma$ production and decay where initial and final state radiation (ISR/FSR) produce $W/Z+\gamma\gamma$ events. The PYTHIA MC is used to simulate backgrounds where both photons are fakes: namely, W and Z, with photons from ISR/FSR removed, and $t\bar{t}$ sources. To minimize the dependence of our predictions on potential "MC-data" differences we scale our MC predictions to the observed number of $e\gamma$ events [15] in data where we use the same diphoton triggers and analysis selection procedures used to select the inclusive $\gamma\gamma$ sample. Uncertainties are dominated by the statistics of the MC and $e\gamma$ normalization data sample.

Non-collision backgrounds are estimated using the data. We identify a cosmic-enhanced sample by using the selected inclusive $\gamma\gamma$ sample, but requiring one of the photons to have $t_{\gamma}{>}25$ ns. Similarly, we create a beam halo-enhanced sample. We estimate the non-collision background events in the signal region using the ratio of events outside the timing requirements to events inside the signal region and using the measured efficiencies of the non-collision rejection requirements [15]. The uncertainties on both non-collision background estimates are dominated by the statistical uncertainty on the number of identified events. Figure 1 (top) shows the E_T -significance distribution for the inclusive $\gamma\gamma$ sample, along with the predictions for all the backgrounds.

We estimate the sensitivity to heavy, neutral particles that decay to photons using the GMSB reference model [6] in the mass-lifetime range, $75 \le m_{\tilde{\chi}_1^0} \le 150 \text{ GeV}$ and $\tau_{\tilde{\chi}_{i}^{0}} \lesssim 2$ ns. Events from all SUSY processes considered [21] are simulated with PYTHIA followed by a detector simulation. The fraction of $\tilde{\chi}_1^0$ decays that occur in the detector volume, and thus the acceptance, depend on both the lifetime and the masses of the sparticles [11]. The total systematic uncertainty on the acceptance, after all kinematic requirements (discussed below), is estimated to be 7\%, dominated by the uncertainty in the photon identification efficiency (2.5% per photon). Other significant contributions come from uncertainties on ISR/FSR (4%), jet energy measurement (2%), E_T significance parameterizations (1%) and parton distribution functions (PDFs, 1%).

We determine the final kinematic selection requirements by optimizing the mean expected 95% confidence level (C.L.) cross section limit using a no-signal assumption, before looking at the data in the signal region [22]. To compute the predicted cross section upper limit we

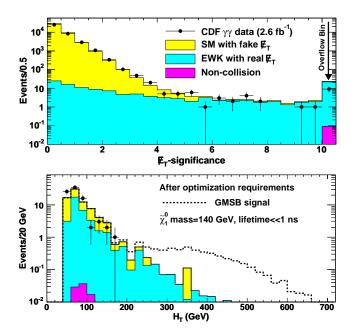


FIG. 1: The top plot shows the E_T -significance distribution for the inclusive $\gamma\gamma$ candidate sample, along with the background predictions. The bottom plot shows the predicted H_T (total E_T of photons, jets, and E_T) distribution after all but the final H_T requirement.

combine the luminosity, the acceptance, and the background estimates with their systematic uncertainties using a Bayesian method [23]. The predicted limits are 30 optimized by simultaneously varying the selection re-31 quirements for E_{T} -significance, H_{T} (scalar sum of E_{T} 32 of photons, jets, and E_T), and the azimuthal angle be-33 tween the two leading photons, $\Delta\phi(\gamma_1,\gamma_2)$. The large 34 E_{T} -significance requirement eliminates most of the SM 35 background with fake E_T . GMSB production is domi- 36 nated by heavy gaugino pairs which decay to high- E_{T} 37 light final state particles via cascade decays. The GMSB 38 signal has, on average, larger $H_{\rm T}$ compared to SM back- 39 grounds so that an $H_{\rm T}$ requirement can remove these 40 backgrounds effectively. Electroweak backgrounds with 41 large H_{T} typically consist of a high- E_{T} photon recoil- 42 ing against $W \rightarrow e\nu$, identified as $\gamma_{fake} E_T$, which means 43 the gauge boson decay is highly boosted. Thus, the two 44 photon candidates in the final state are mostly back-to- 45 back. Also, the high- $E_{\rm T}$ diphotons with large H_T from 46 SM background are mostly back-to-back with fake E_T ; 47 the $\Delta\phi(\gamma_1,\gamma_2)$ requirement, therefore, reduces both these 48 backgrounds.

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The optimal set of requirements is slightly different 50 for each point in the $\tau_{\tilde{\chi}_1^0}$ vs. $m_{\tilde{\chi}_1^0}$ space considered. We 51 choose a single set of requirements to maximize the region 52 where the predicted production cross section at next-to-53 leading order [24] is above the expected 95% C.L. cross 54 section limit. The exclusion region also takes into ac-55 count the production cross section uncertainties, which 1

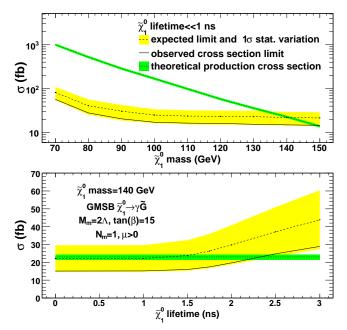


FIG. 2: The predicted and observed 95% C.L. cross section upper limits as a function of the $\tilde{\chi}^0_1$ mass at $\tau_{\tilde{\chi}^0_1} \ll 1$ ns (top) and as a function of the $\tilde{\chi}^0_1$ lifetime at $m_{\tilde{\chi}^0_1} = 140 \; {\rm GeV}/c^2$ (bottom). Indicated in green (darker shading) is the production cross section, along with its 8.0% uncertainty-band. In yellow (lighter shading) is the RMS variation on the expected cross section limit.

are dominated by the PDFs (7%) and the renormalization scale (3%). We find the optimal set of requirements, before unblinding the signal region, to be: \$\mathbb{E}_{\text{T}}\$-significance>3, \$H_{\text{T}}\$>200 GeV, and \$\Delta \phi(\gamma_1, \gamma_2) < \pi -0.35\$. With these requirements we predict 1.4±0.4 background events, 0.9±0.4 of which are from electroweak sources (dominated by \$Z\gamma\gamma\$ production) with real \$\mathbb{E}_{\text{T}}\$, 0.5±0.2 from SM with fake \$\mathbb{E}_{\text{T}}\$, and 0.001^{+0.008}_{-0.001} from non-collision sources. The acceptance for \$m_{\text{X}_1^0} = 140 \text{ GeV/c}^2\$ and \$\tau_{\text{X}_1^0} \ll 1\$ ns is estimated to be 7.8±0.6%.

No events in the data pass the final event selection. The predicted $H_{\rm T}$ distribution is shown in Fig. 1 (bottom), after all but the final $H_{\rm T}$ requirement. The data are consistent with the no-signal hypothesis and is well modeled by SM backgrounds alone. We set cross section limits as a function of $m_{\tilde{\chi}_1^0}$ and $\tau_{\tilde{\chi}_1^0}$, respectively, as shown in Fig. 2. The $m_{\tilde{\chi}_1^0}$ reach, based on the predicted and observed number of events for $\tau_{\tilde{\chi}_1^0} \ll 1$ ns, is $141~{\rm GeV/c^2}$ and $149~{\rm GeV/c^2}$ respectively. These limits significantly extend the search sensitivity beyond the results of D0 [9], expand the results to include exclusions for $\tau_{\tilde{\chi}_1^0} \leq 2$ ns, and, when combined with the complementary limits from CDF and LEP [10, 17], cover the region shown in Fig. 3.

In conclusion, we have performed an optimized search for heavy, neutral particles that decay to photons in the $\gamma\gamma + E_T$ final state using 2.6 ± 0.2 fb⁻¹ of data. There is

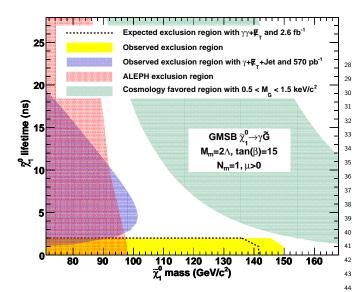


FIG. 3: The predicted and observed exclusion region ⁴⁵ along with the limit from ALEPH/LEP [10] and the CDF ⁴⁶ $\gamma + E_T + jet$ 'delayed' photon analysis [17]. We have a mass ⁴⁷ reach of 141 GeV/ c^2 (predicted) and 149 GeV/ c^2 (observed) ⁴⁸ for lifetimes up to 1 ns. The shaded band shows the parameter space where $0.5 < m_{\widetilde{G}} < 1.5 \text{ keV}/c^2$, favored by cosmological ⁵⁰ models [7].

no excess of events beyond expectations. We set cross $_{58}^{58}$ section limits using a GMSB model with $\widetilde{\chi}_{1}^{0} \to \gamma \widetilde{G}$, and $_{59}^{69}$ find an exclusion region in the $\tau_{\widetilde{\chi}_{1}^{0}}$ - $m_{\widetilde{\chi}_{1}^{0}}$ plane with the $_{60}^{60}$ world's best 95% C.L. lower limit on the $\widetilde{\chi}_{1}^{0}$ mass of $_{61}^{61}$ 149 GeV/c² at $\tau_{\widetilde{\chi}_{1}^{0}}$ «1 ns. By the end of Run II, with $_{62}^{62}$ an integrated luminosity of 10 fb⁻¹, we estimate a mass $_{64}^{64}$ reach of $\simeq 160$ GeV/c² at a lifetime well below 1 ns.

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